

**EXPERIMENT ABOUT THE METHOD TO DOUBLE
THE EXTENSION ABILITY OF THE RADIAL JET
DRILLING TECHNOLOGY BY NARROW ANNULUS FLOW**

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ABSTRACT

Radial jet drilling (RJD) technology is an effective method to enhance oil recovery by penetrating the near-wellbore damage zone, and increasing the drainage radius greatly. But due to the confinement of the casing size, only the high pressure flexible hose (HPFH) which is hard to be fed in can be used as the drill stem. Meanwhile, high steering resistance is applied on the HPFH by the diverter. The extension ability of RJD is severely limited. In our study, an innovative method to feed in the HPFH by the high velocity flow in the narrow annulus is proposed. Its feasibility is researched by theoretical and experimental ways, as well as the effect of different parameters. Results show that the method is very effective; considerable drag force is generated easily; the value of the drag force is comparative with the self-propelled force while the work pressure is less than 1.2 MPa; it is easy to feed in the high pressure flexible hose by this method; there is a power law relationship between the drag force generated and the average velocity; the drag force increases linearly with the length of the narrow annulus, higher average velocity and 1~2mm height are recommended. According to force analysis, the extension ability of the RJD can be doubled theoretically by this method.

1 INTRODUCTION

Radial jet drilling (RJD) technology is a low-cost, efficient, environmentally friendly method and particularly suitable for depleted reservoirs, marginal reservoirs, fault block reservoirs, heavy oil reservoirs, coal bed methane (CBM) reservoirs, etc. (Dickinson et al. 1985, 1989). Over the past 30 years, RJD mainly goes through the original RJD stage and the casing side-tracking RJD stage. For the complex casing milling and under-reaming process, the original RJD technology is complicated, destructive and high-risk. Card Landers (1993) presented the casing side-tracking RJD technology which can complete the turn from the vertical direction to the horizontal direction within the casing. But for the confinement of the casing size, only the high pressure flexible hose (HPFH) is used as the drill stem. In addition, high steering resistance force applies on the HPFH when it gets through the diverter. The extension ability, one of the most critical issues of the casing side-tracking RJD technology, is limited.

By 1992, over 1,000 horizontal and curved radials have been placed in unconsolidated and limestone formations in U.S. and Canada with the RJD technology. The average production improvement is two times to four times (Dickinson 1992). Li (2000) described three key parts of the traditional RJD technology: big diameter under-reaming technique, design principle of diverting system, and option of well completion. Buset (2001) believed that the RJD technology is a safe and cost effective alternative for well production and injection enhancement. The penetration mechanism and self-induced nozzle pull force were analyzed by theoretical and experimental methods. Cirigliano (2007) described the first application of RJD technology in deep wells with complex geometry. It was proven that the RJD technology may be an attractive substitute for other stimulation techniques, such as fractures, acids, side tracking, etc. Abdel-Ghany M.A. (2011) highlighted the first application on the casing side-tracking RJD technology in Egypt. Marbun B. T. H. (2011) reviewed the RJD technology. Cinelli S.D. (2013) described the recompletion of a portion of a 40 year old field using RJD technology. Li J. etc (2015) built the self-propelled force model of a multi-orifice nozzle for RJD. Wang B. etc (2016) discussed the hydraulic calculations of the RJD technology. As shown in his study, the self-propelled force is about 65N, while the steering resistance force applied to the HPFH by the diverter is about 36N. More than half of the self-propelled force is expended to overcome the resistance. Only less than half self-propelled force, 29N exactly, remains for the extension of the casing side-tracking RJD. It is really important to research this issue.

In this paper, an innovative method to feed in the HPFH by the high velocity flow in the narrow annulus is presented. A narrow annulus section is designed to form the narrow annulus with the

HPFH. When high velocity fluid flows through it, sizeable drag force is generated in the boundary layer of the HPFH. The evenly distributed drag force can effectively feed the HPFH and overcome the resistance of the diverter. The drag force equation is derived and validated by numerical simulation. To obtain large force, the effects of different parameters are analyzed. The results can greatly enhance the feed-in ability of the RJD technology.

2 METHOD AND PRINCIPLE

2.1 RJD Process

RJD technology can rehabilitate and optimize oil and gas wells by perforating 30-50mm diameter lateral holes which are up to 100m radially from the well-bore. The specific RJD process is as follows: First, a diverter is sent to the desired depth and azimuth by production tubing. Then, the casing side-tracking assembly including a flexible shaft and a milling bit is sent to the diverter by the coiled tubing through the production tubing. After that, the jet drilling assembly including the HPFH and a self-propelled nozzle is sent to the well bottom. The self-propelled nozzle breaks the rock and drags the assembly moving forward to form a radial hole. During the process, the production tubing only plays the role of supporting and positioning the diverter. Meanwhile, the HPFH should maintain straight by a short heavy section to run in hole smoothly.

According to fluid mechanics for engineering technology, when the Reynolds number is relatively large, the fluid viscosity is usually ignored at macro level. But when it comes to the boundary layer, because of the high velocity gradient, the viscosity force is considerable. Given that the HPFH is unable to bear the axial compression force, the idea to feed-in the HPFH by the drag force generated by the high velocity fluid in the narrow annulus is formulated.

2.2 Principle

As shown in Fig. 1, the key equipment of this method is the narrow annulus section. The HPFH passes through the center of the narrow annulus section and forms the narrow annulus whose height ranges from 1mm to 2mm. A limit joint is used to keep the narrow annulus section with the HPFH. The lower section of the narrow annulus section is designed to seal the diverter to form the only flow channel between the annulus of production tube and HPFH.

During the running in hole process, the narrow annulus section can mean the HPFH straight instead of the short heavy section. When the radial jet drilling begins, high pressure fluid is pumped through the annulus of the production tubing and coiled tubing-flexible hose assembly,

then arrive the diverter, and flow through the narrow annulus, enter into the annulus of casing and production tube, at last return to the ground. For the small size of the narrow annulus, high velocity flow and the high velocity gradient are formed in the boundary layer. Consequently, large axial drag force is applied on the out wall of the HPFH. Evenly distributed drag force could overcome the diversion resistance generated by the diverter, and feed the HPFH into stratum. Based on the force analysis, theoretically, the extension ability of the RJD technology would be doubled. Meanwhile, the structure of the self-propelled jet bit can be optimized to make sure that it efficiently breaks the rock. In addition, due to the large flow area of the diverter guideway, the outflow of the narrow gap cannot influence the debris carrying from the radial hole. This method can greatly facilitate the development of the RJD technology with the sample and reliable tools.

3 DRAG FORCE EQUATION

3.1 Fundamental Assumptions

To simplify the model, the following assumptions are made:

- 1) The working fluid is incompressible Newtonian fluid.
- 2) The velocity of the fluid in narrow annulus is equal to the average velocity.
- 3) The flow is steady.
- 4) The narrow annulus is concentric.

3.2 Derivation

The rheological properties of fluid are important to the annular flow. Water, a Newtonian fluid, is designed to be used here. The flow of Newtonian fluids through annulus has drawn considerable attention in the past. To apply the well-known relationship between pipe flow and annular flow, various effective diameter definitions are presented. By replacing the diameter term, the Fanning friction factor and Reynolds number equation can be used in annular flow. According to Reed's (1993) study, the Fanning friction factor for a concentric annulus should be based on the Hydraulic Diameter, D_{hy} , which is simply the difference between the inner and outer diameters. The Reynolds number should be based on an equivalent diameter equal to square of Lamb's Diameter, D_L^2 , divided by D_{hy} (see Eq.3). Jones and Leung (1981) proved that these definitions also apply to fully-turbulent flow through an annulus.

Hydraulic diameter of the annulus flow can be expressed as

$$D_{hy} = D_2 - D_1 \quad (1)$$

Where, D_1 is the inner diameter of the annulus, m; D_2 is the outer diameter of the annulus, m.

The ‘‘Applied Drilling Engineering’’ book (1986) gives the Lamb’s diameter which is

$$D_L = \left[D_2^2 + D_1^2 - (D_2^2 - D_1^2) / \ln(D_2 / D_1) \right]^{1/2} \quad (2)$$

According to Reed (1993), equivalent diameter equals

$$D_{eq} = D_L^2 / D_{hy} \quad (3)$$

Reynolds number based on the equivalent diameter can be calculated by

$$\text{Re}_{D_{eq}} = \rho u_e D_{eq} / \mu \quad (4)$$

Where, u_e is the average velocity of the flow, m/s; μ is the viscosity, mPa*s; ρ is the density, kg/m³.

To obtain enough drag force, the velocity in the narrow annulus should be no less than 10m/s. The HPFH used in our laboratory has a 14.2mm outer diameter, while the inner diameter of the annulus section is about 18.0mm. When the room temperature is 20°C, density of water is 998.203kg/m³, and its viscosity is 1.005 mPa*s. Then, the Reynolds number based on hydraulic diameter, Lamb’s diameter, and equivalent diameter can be obtained respectively

$$\text{Re}_{D_{hy}} = 37743, \text{Re}_{D_L} = 162493, \text{Re}_{D_{eq}} = 699547 \quad (5)$$

According to Reed (1993), Hanks (1980), Hanks and Peterson (1982), the critical Reynolds number based on Lamb’s diameter for the transition of laminar and turbulent is about 2100. The flow in the narrow annulus here can be taken as turbulent boundary layer flow. The drag force can be calculated by the equation of the incompressible turbulent boundary layer.

According to Churchill’s study (1995), the local shear stress applied on the inner wall of a concentric annulus can be obtained by

$$\tau_{w1} = \frac{R_0^2 - R_1^2}{2R_1} \left(-\frac{dp}{dz} \right) \quad (6)$$

Where, R_0 is the radius at which the total shear stress is zero, m; R_1 is the radius of the inner wall, m.

The R_0 expression at $\text{Re} \approx 10^5$ is derived and validated by Rehme(1974) with his own experimental data, gives

$$\frac{R_0 - R_1}{R_2 - R_0} = \left(\frac{R_1}{R_2} \right)^{0.386} \quad (7)$$

Where, R_2 is the radius of the outer wall, m.

For a narrow annulus, the drag force acting on the inner wall can be calculated by

$$F_D = \int_0^L 2\pi R_1 \tau_{w1} dz = \pi (R_0^2 - R_1^2) \Delta P \quad (8)$$

Where, ΔP is the pressure drop of the narrow annulus, Pa; L is the length of narrow annulus, m.

According to Fanning equation, the pressure loss can be obtained by

$$\Delta P = f * \frac{L}{D_{hy}} * \frac{\rho u_e^2}{2} \quad (9)$$

Where, f is the Fanning friction factor, dimensionless; L is the length of the narrow annulus, m; D_{hy} is the hydraulic diameter, for the annulus flow, it equals $2(R_2 - R_1)$, m.

Jonsson and Sparrow (1965) investigated the flow field and the pressure drop and friction factor characteristics for turbulent flow in eccentric annular ducts. The friction factor expression of the concentric annular flow can be obtained by

$$f = 0.153 \text{Re}_{D_{hy}}^{-0.18} \quad (10)$$

By substituting Eq.9, and Eq. 10 into Eq.8, it gives

$$F_D = 0.240 * \frac{L \rho u_e^2 (R_0^2 - R_1^2)}{D_{hy} \text{Re}^{0.18}} \quad (11)$$

Where, F_D is the drag force generated by the narrow annulus, N; ρ is the fluid density, water is used here, and its density is about 998.203 kg/m^3 at 20°C .

3.3 Case Study

If a narrow annulus section is set as 1m length, 0.018m inner diameter. When there is a HPFH with 0.0142m outer diameter gets through the section, a 2.0 mm height narrow annulus is built. According to Eq.11, if the average velocity is 20m/s, the drag force can be obtained by

$$F_D = 0.240 * \frac{1 * 998.203 * 20^2 * (7.952^2 - 7^2) * 10^{-6}}{0.0038 * 79458.95^{0.18}} = 45.759 \text{N} \quad (12)$$

In this case, the drag force is about 45.759N. The same HPFH is used in Wang bin's study (2016), the steering resistance is measured as 36.85N with 35 MPa inner pressure by experiment. It can be inferred that the drag force generated by the high velocity flow in narrow annulus can overcome the steering resistance, even can feed the HPFH into the oil and gas reservoir. Given that the ejector force is only about 65N, theoretically, the extension ability of RJD technology even can be doubled.

4 EXPERIMENT SET UP

A series of experiments are conducted to study the feasibility of the narrow annulus. To better understand the method, effects of the structure parameters are analyzed.

4.1 Experiment Principle

The experiment principle to measure the drag force generated by high velocity flow in the narrow annulus is shown in Fig.2. A designed measurement joint and different length seamless tube make the main experiment body. There are fluid inlet, pressure measure point, and motive seal on the measurement joint. The HPFH passes through the center of measurement joint and seamless tube forms the narrow annulus. A digital display tension meter is connected with the HPFH by iron wire to measure the force. Due to the variable high-pressure induced by the plunger pump, the measured force changes continuously; thus, the peak value is recorded. The high pressure fluid flow in the narrow annulus through the fluid inlet and form high velocity flow in the narrow annulus. Considerable drag force is applied on the HPFH and measured by the tension meter. At the same time, the pressure data in the annulus is collected and stored by a data acquisition system.

The force condition of the HPFH is analyzed. Along the flow direction, drag force applies on the HPFH, labeled as F_{drag} . To drag the HPFH to move, the friction force between the HPFH and the seamless tube, and that of the motive seal section is needed to be overcome, labeled as F_{friction} . The difference of the drag force and friction force is measure by the tension meter, labeled as F_{measure} . According to that, the drag force can be obtained

$$F_{\text{drag}}=F_{\text{measure}}+ F_{\text{friction}} \quad (13)$$

Where, F_{drag} is the drag force generated by the narrow annulus, N; F_{measure} is the measured force which obtained by the tension meter, N; F_{friction} is the friction force which can be got by using the tension meter to drag the HPFH through the experiment body, N.

4.2 Apparatus

A high-pressure plunger pump is used as the power source with a rated pressure of 60 MPa and a certified capacity of 200 L/min. A hydro-pressure sensor with a measuring range of 30 MPa, an output current of 4~20 mA, and an accuracy of 0.1% F*S is used to record the pressure. A digital display tension meter with 500N range and 0.1N precision is used to measure the force. A data acquisition system with a National Instruments multi-channel data acquisition card installed is used to collect and store the pressure data. Given the HPFH used in field, the Exitflex 703-8 blue

hose with 17.5mm outer diameter is adopted here. Seamless tubes with 1m/0.5m length and 22mm inner diameter are used.

4.3 Project

To validate and better understand the performance of the method to generate the drag force, a series of experiments are designed and carried out. The experiment project is shown in table 1.

5 RESULTS AND DISCUSSION

5.1 Validation

By experiment, we acquire a series of drag forces and pressure drops. Substituting structure parameters and flow parameters into Eq.11, a series of drag forces are obtained. As shown in Fig.4, the abscissa is the average velocity in the narrow annulus, and the ordinate is the drag force. The measured drag force and the calculated drag force by Eq.11 are shown in solid line, and agrees with each other very well. But the measured drag force is a little bigger than the calculated force. All that may be caused by that the peak drag force is used and the HPFH is not straight and concentric with the seamless tube. A 1.16 times relationship is found between the real drag force and the calculated force. To predict the drag force accurately, Eq.11 can be modified as

$$F_D = 0.278 * \frac{L \rho u_e^2 (R_0^2 - R_1^2)}{D_{hy} Re^{0.18}} \quad (14)$$

As shown in Fig.4, the drag force calculated by modified model is displayed in dash line and almost coincides with the real drag force. All these indicate that the modified model can be used to calculate the drag force accurately. Besides, even though the average velocity is about 12.62m/s, the real drag force is up to 90N which is much bigger than the steering resistance, even the self-propelled force which is about 65N according to Wang (2016). At the same time, the biggest pressure drop is about 1.2MPa which is very easy to implement. Once again, it is can be inferred that the method is competitive and practical.

5.2 Effect of the Average Velocity

When the height of the narrow annulus is fixed, higher average velocity means more fierce flow and greater velocity gradient which may lead to bigger drag force. The effect of the average velocity is analyzed. The drag force-velocity curves with different lengths are shown in Fig.5. The power law relationship is adopted to fit the data. The fitting results are good. It means that the high velocity, the higher drag force while the augment is increasing. As shown in Fig.5, when the length is 1.7m, the largest drag force is up to 52N, which is much bigger than the steering

resistance (about 36N) while the biggest velocity is only about 12.64m/s. It is proved that the drag force generated by the narrow annulus can overcome the resistance and even feed the HPFH into the strata, and it is easy to implement. According to the average velocity-pressure drop relationship, higher velocity is easy to implement, and larger drag force can be achieved.

5.3 Effect of the Narrow Annulus Length

The narrow annulus length determines the exposure time of the high velocity flow and the HPFH. To better design the narrow annulus length, effect of the narrow annulus length is researched. As is shown in Fig. 6, the drag force applied on the HPFH linearly increases with the narrow annulus length. With bigger average velocity the slope of the curve is larger which means the bigger increment per unit length. Even the narrow annulus length is only 1.2m, the drag force can achieve 33.87N with 12.64m/s average velocity which is easy to implement. Given that the narrow annulus section occupies the length of the HPFH which will increase the inner frictional resistance of the fluid in the HPFH, we recommend that the narrow annulus length should range from 1 to 1.5 m.

6 CONCLUSION

The method to feed the HPFH by the drag force generated by the high velocity flow in the narrow annulus is presented for the RJD technology. Its feasibility is researched by theoretical and experimental ways, as well as the effect of different parameters. The following conclusions are achieved:

1. The method is proved that it can generate enough drag force to overcome the steering resistance and even feed in the HPFH to the oil and gas reservoir. According to stress analysis, the extension ability of the RJD technology can be doubled theoretically.
2. Based on the boundary-layer theory of a concentric annulus, the drag force equation is formulated. The equation is modified by experiment data. The modified equation can calculate the drag force accurately.
3. There is a power law relationship between the drag force generated and the average velocity. The drag force linearly increases with the length of the narrow annulus. The recommend length ranges from 1 to 1.5 meters. For the complicated situation, higher drag force should be generated by larger average velocity.

7 ACKNOWLEDGMENTS

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9 NOMENCLATURE

- u_e The main velocity, m/s
- R_0 The radius at which the total shear stress is zero, m
- R_1 The radius of the inner wall, m
- R_2 The radius of the outer wall, m
- D_1 The inner diameter of the annulus, m
- D_2 The outer diameter of the annulus, m
- D_{hy} The hydraulic diameter of annular flow, m
- D_L The Lamb's diameter of annular flow, m
- D_{eq} The equivalent diameter of annular flow, m
- $Re_{D_{hy}}$ The Reynolds number based on the hydraulic diameter, dimensionless
- Re_{D_L} The Reynolds number based on the Lamb's diameter, dimensionless
- $Re_{D_{eq}}$ The Reynolds number based on the equivalent diameter, dimensionless
- f The Fanning friction factor, dimensionless
- L The length of the narrow annulus, m
- τ_{w1} The local shear stress applied on the inner wall of a concentric annulus, Pa
- F_D The drag force acting on the inner wall, N

10 TABLES

Table 1 Parameter settings for experiment

No.	Outer diameter of the HPFH mm	Inner diameter of the seamless tube mm	Narrow gap length m	Average velocity m/s
1	17.50	22.00	1.20	7.91/ 9.38/ 10.48/ 11.55/12.64
2	17.50	22.00	1.70	7.91/ 9.38/ 10.48/ 11.55/12.64
3	17.50	22.00	2.20	7.91/ 9.38/ 10.48/ 11.55/12.64
4	17.50	22.00	2.70	7.91/ 9.38/ 10.48/ 11.55/12.64
5	17.50	22.00	3.20	7.91/ 9.38/ 10.48/ 11.55/12.64

11 GRAPHICS

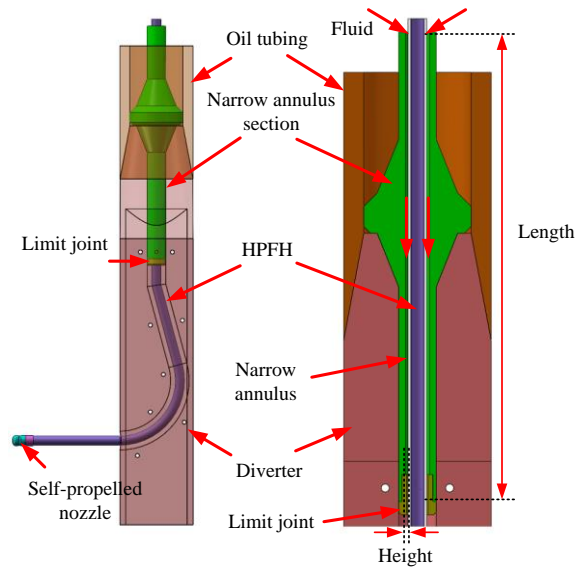


Fig. 1 Schematic diagram of the method to feed in the HPFH by narrow annulus

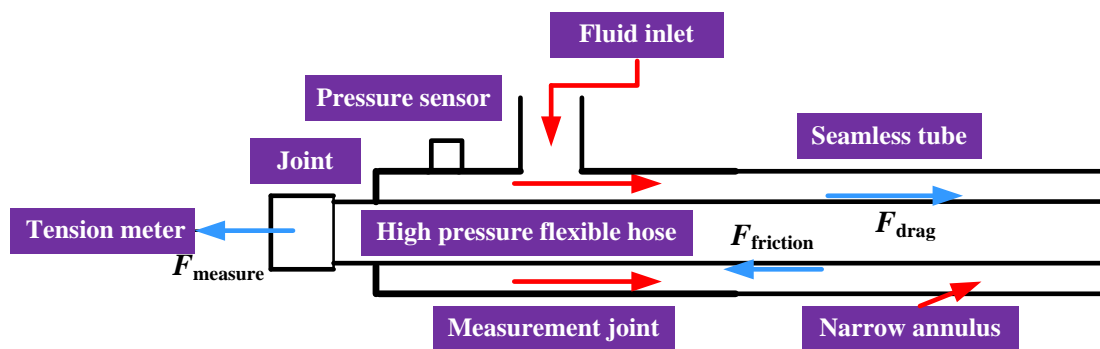


Fig.2 Principle diagram of drag force measurement experiment



Fig.3 Photo of drag force measurement experiment

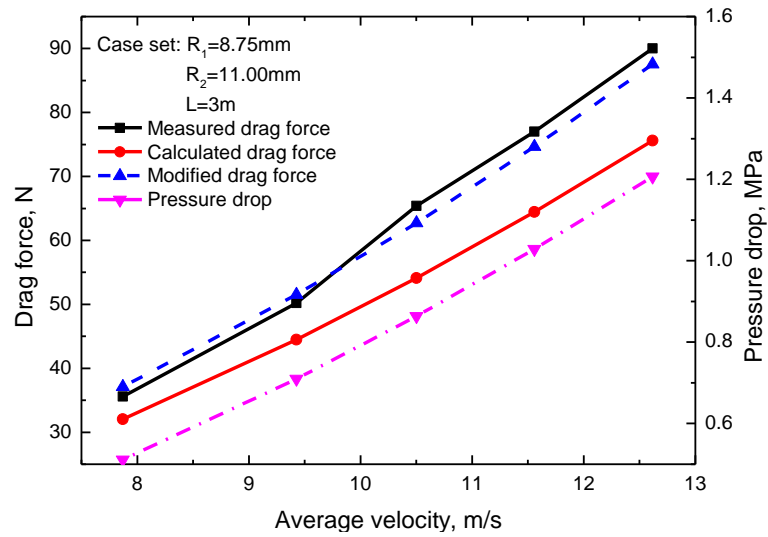


Fig. 4 Curves of simulated and predicted drag force

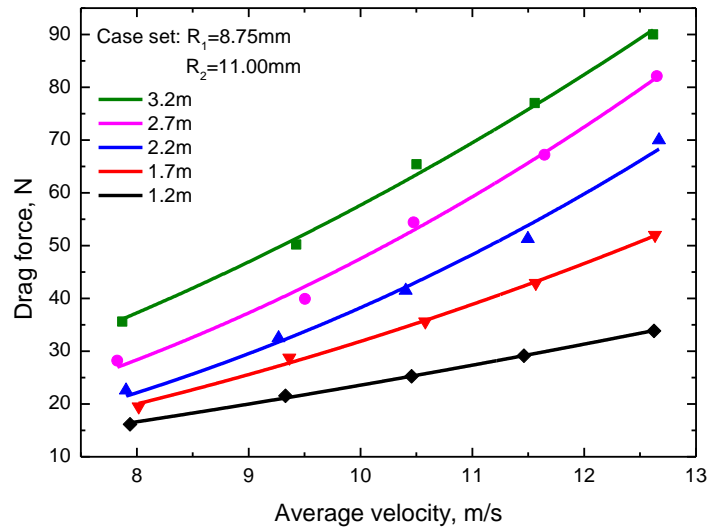


Fig. 5 The drag force-velocity curves with different narrow annulus length

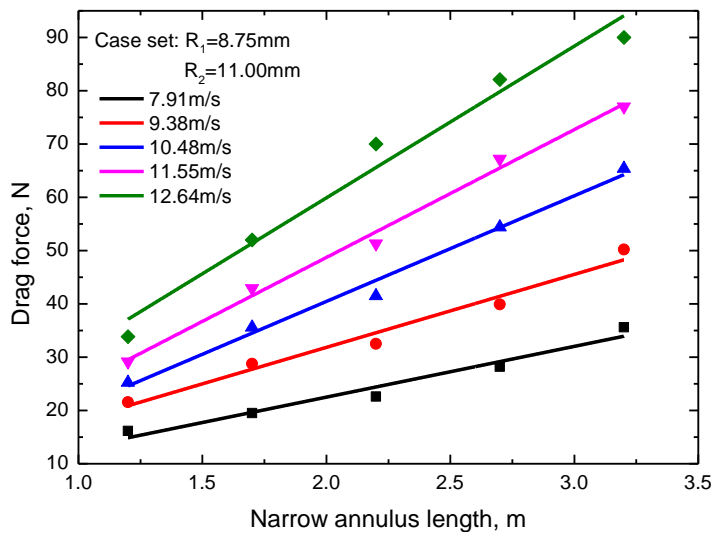


Fig. 6 The drag force-narrow annulus length curves with different average velocity